Math 320 Linear Algebra Assignment # 8

1. Suppose the X, Y and Z are sets (don't assume they are sets of vectors they are just sets). Let $f: X \to Y$ and $g: Y \to Z$. Prove that $g \circ f: X \to Z$ is onto then g is onto. If you are new to proving things are onto, this video should help:

Proving Functions are Onto

2. Show that vector space properties 4,5 and 9 hold for the vector space P_n (that is the space of polynomials of degree n or less.)

This video might help: Polynomial Vector Spaces

- 3. The polynomials x + 1 and $x^2 + 2$ are "vectors" in the vector space P_2 . Describe the set span $(x + 1, x^2 + 2)$.
- 4. Let V be a vector space.
 - (a) Show that if $\vec{v}, \vec{w} \in V$ and $\vec{v} + \vec{w} = \vec{0}$ then $\vec{w} = -\vec{v}$.
 - (b) Show that if $\vec{v} \in V$ then $(-1)\vec{v} = -\vec{v}$. This video might help: Vector Space Proofs