- (a) Determine if 5269911107906438655174317335612552990124325817909354725376097 7168387261814542649905808794380224195129363429556147022929209934496654350 36191 is prime or composite. If its composite, 100 bonus points for factoring it
 - (b) Determine if 3187721604896592172184473898747993870211044878321952284028860
 7758517700294341101121244905091662953431068992891742924907113151015783105
 446267 is prime or composite. If its composite, 100 bonus points for factoring it
- 2. Suppose you recover the following message fragment: 596046468879949217930269178661 67917442758685911203990447989230307855935258107163106727084953722603196709411 710388584443590115535403845543006088913729 from Alice to you. Decipher it knowing it was enciphered with RSA and enciphering key e = 6036902520692473430724692029589 58976658760474456892116188698630856843899928436253036008278047029964884228165 47331719883525692025914512266306946195661 and private keys: p = 297688443874092 526428727395487150607795639546051103299558207029508439020891 and q = 30588912 0488689105035232247613707229145456811190431290963567338702545307781.
- 3. You and I set up a Diffie-Hellman key exchange with prime p = 85482255806997241493421711311327040445619, and primative root a = 2. You choose as your private key,

 $x_{\rm you}=25049544335343176369054617643065295675317.$ You look up my public key it is: $\alpha_{\rm my}=26077606113312565572977731597744897876627.$

- (a) What is your public key?
- (b) What is our common key?
- (c) (100 Bonus Points) What is my private key?
- (d) If you were unable to answer the previous question, what difficult problem were you unable to solve?
- 4. (a) Make a table of powers of 10 (mod 19).
 - (b) Use that table (you must show you are using the table to get full credit) to find 7^{12} (mod 19).
 - (c) Use that table (you must show you are using the table to get full credit) to find, x such that $12^x \equiv 8 \pmod{19}$.
 - (d) Use the table to find all primiative roots of 19.